

Astrophysical Noise Long Term Effects

Valeri Makarov

US Naval Observatory

Short Term Perturbations

- Star spots produce quasi-periodical variations
 - Random phase, unless active longitudes are present (not on the Sun)
 - RV curve modulated with rotation period, usually less than 40 days
 - Bisector lines twist – a useful diagnostics
 - Accompanied by correlated photometric variation
- Projected rotation velocity is odd function of longitude, hence, does not change the integral RV
- Any other flows that are not anti-symmetric around the central meridian will change the net RV

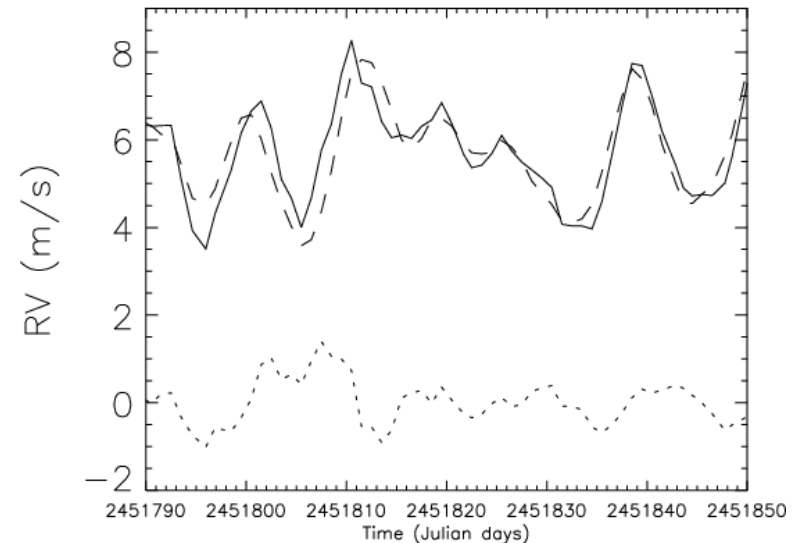
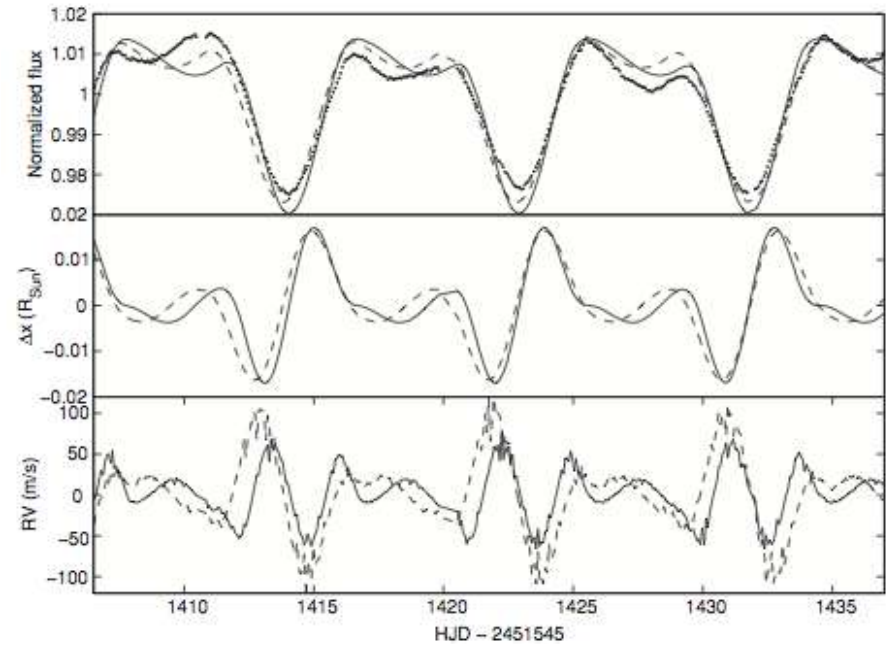
Two kinds of RV perturbation from small-scale magnetic features

- Photometric variation of integrated RV due to the appearance of dark spots or bright plages

Normalized flux, photocenter and RV variations of the active, rapidly rotating star κ^1 Ceti: full line from Makarov et al. 2009, dashed line from Walker et al. 2007 simulations, dotted line from MOST data

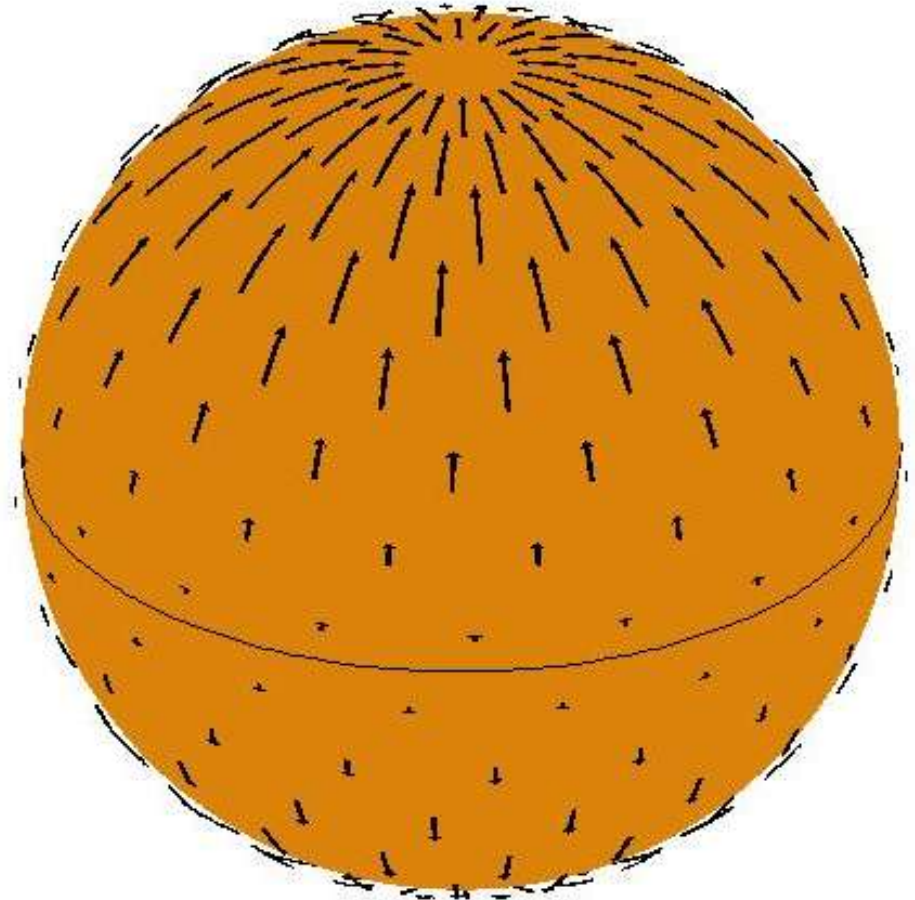
- Attenuation of convective blueshift in areas of magnetic activity, e.g. the blueshift in plages is only 1/3 of that of the quiet photosphere (Brandt & Solanki 1990)

Reconstructed RV curve of the Sun from spots and plages (dotted), convective blueshift inhibition (dashed) and total (full), from Meunier et al. 2010



Meridional flow on the Sun

- Is symmetric around equator
 - ▶▶ net nonzero contribution to observed RV
- Directed from the equator toward the poles – most of the time!
- Of order 20 m/s in amplitude



Mount Wilson magnetograms

- Daily Doppler velocity measurements covering 1967--1982
- Fe I line 5250.2 Å
- Discovered variations in the solar velocity field of tens of m/s
- Data fitted to model (Howard et al. 1982)

$$V = (A + B \sin^2 \phi + C \sin^4 \phi) \sin \lambda \cos \phi \cos b_0 + \\ (D + E \sin^2 \phi + F \sin^4 \phi) \sin^2 \lambda \cos \phi \cos b_0 + G$$

With λ the heliocentric longitude, ϕ the latitude and b_0 the latitude of disk center

Integrated solar RV

- The net solar RV can be reconstructed from observations by integration over the visible disk:

$$\bar{V} = \frac{1}{2\pi} \int_{-\frac{\pi}{2}}^{\frac{\pi}{2}} d\lambda \int_{-\frac{\pi}{2}}^{\frac{\pi}{2}} (\alpha_0 + \alpha_1 \cos \phi \cos \lambda + \alpha_2 \cos^2 \phi \cos^2 \lambda) V \cos \phi \cos \lambda \cos \phi d\phi.$$

- LaBonte & Howard (1982) explained the symmetric velocity field as a combination of

- Meridional flow

$$V_M = \mu_2 P_2^1(\sin \phi) + \mu_4 P_4^1(\sin \phi),$$

- Axisymmetric convective blueshift (limb shift)

$$V_B = \sum_{k=1}^3 \beta_k P_k^*(1 - \cos \rho),$$

Refitting the data

Problem: $[\Lambda \Phi] \tilde{\mathbf{x}} = [\Lambda \mathbf{T}] \bar{\mathbf{x}} + \epsilon$

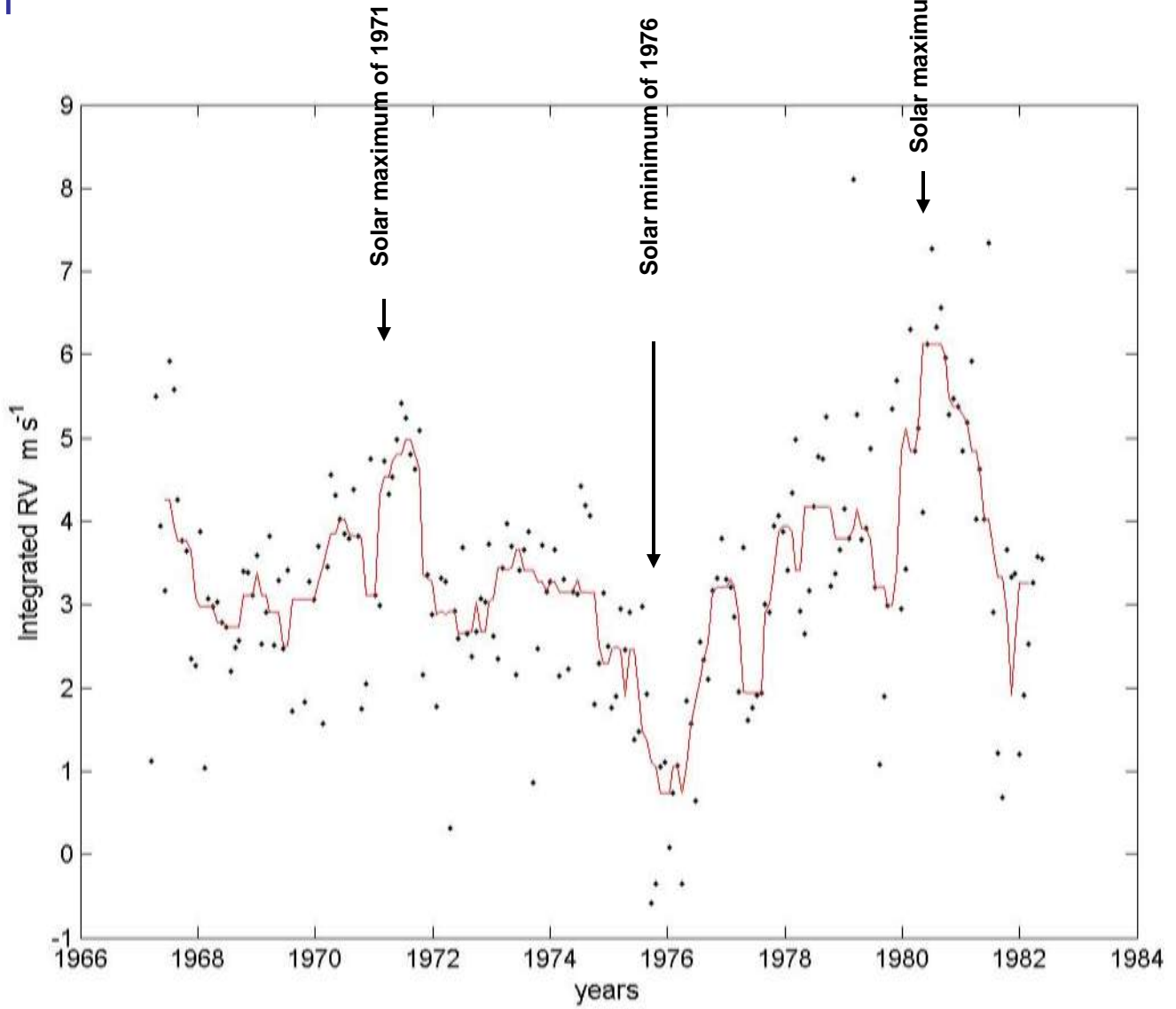
Solution:

$$\bar{\mathbf{x}} = \mathbf{T}^\dagger [\Lambda \Phi] \tilde{\mathbf{x}}$$

Reconstructed solar RV variation

$$\bar{V} = -0.157 \mu_2 + 0.025 \mu_4 - 0.295 \beta_1 + 0.044 \beta_2 + 0.004 \beta_3$$

RV of the Sun



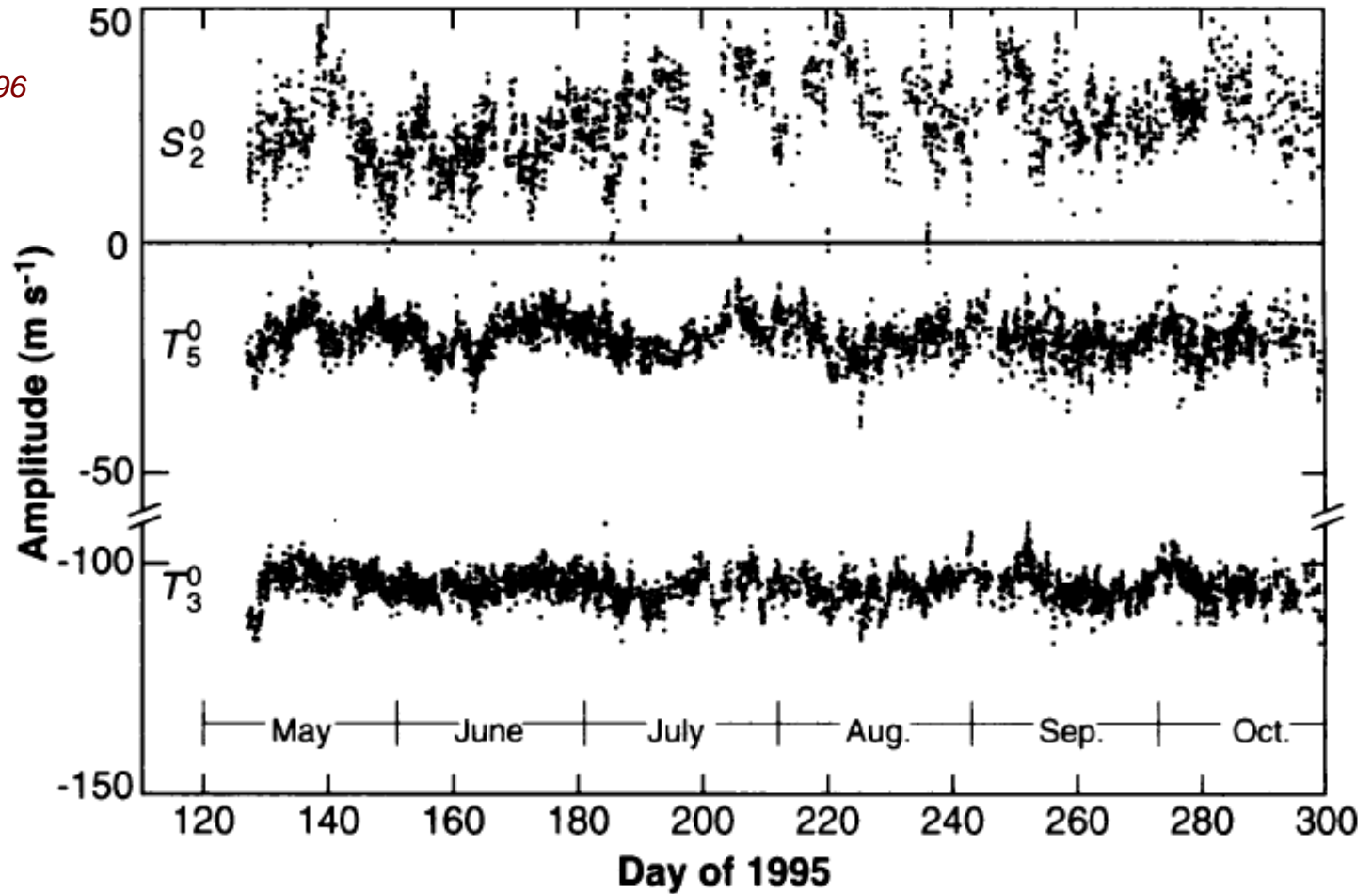
$\sigma = 1.4 \text{ m/s}$

GONG observations of surface flows

From
Hathaway et al. 1996
Science 272, 1306

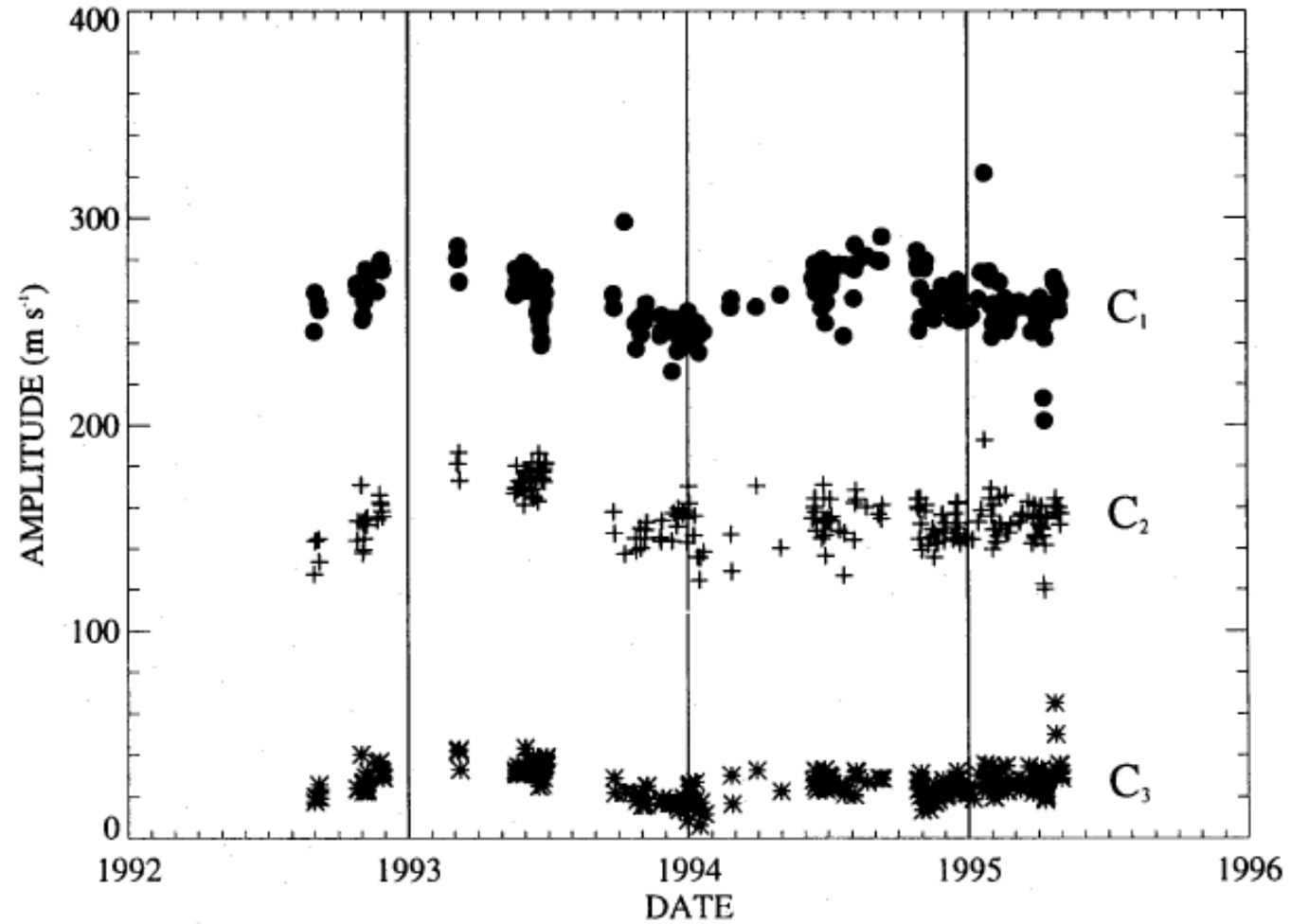
$$S_2^0$$

Is the main term
of meridional
flow



Variability of limb shift from GONG data

*From
Hathaway 1996,
ApJ 460, 1027*

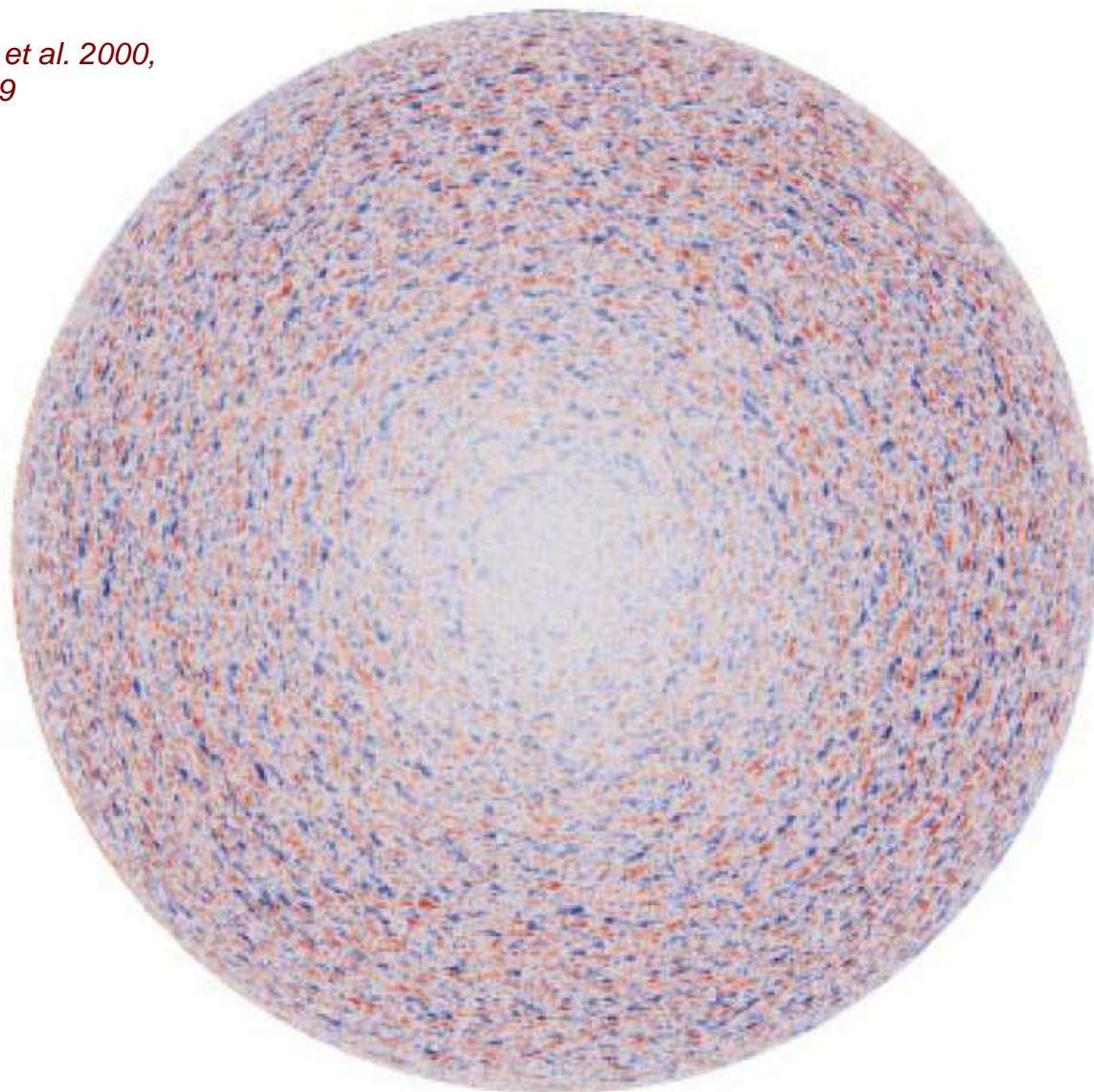


Velocity field with MDI (SOHO)

*From Hathaway et al. 2000,
Sol.Ph., 193, 209*

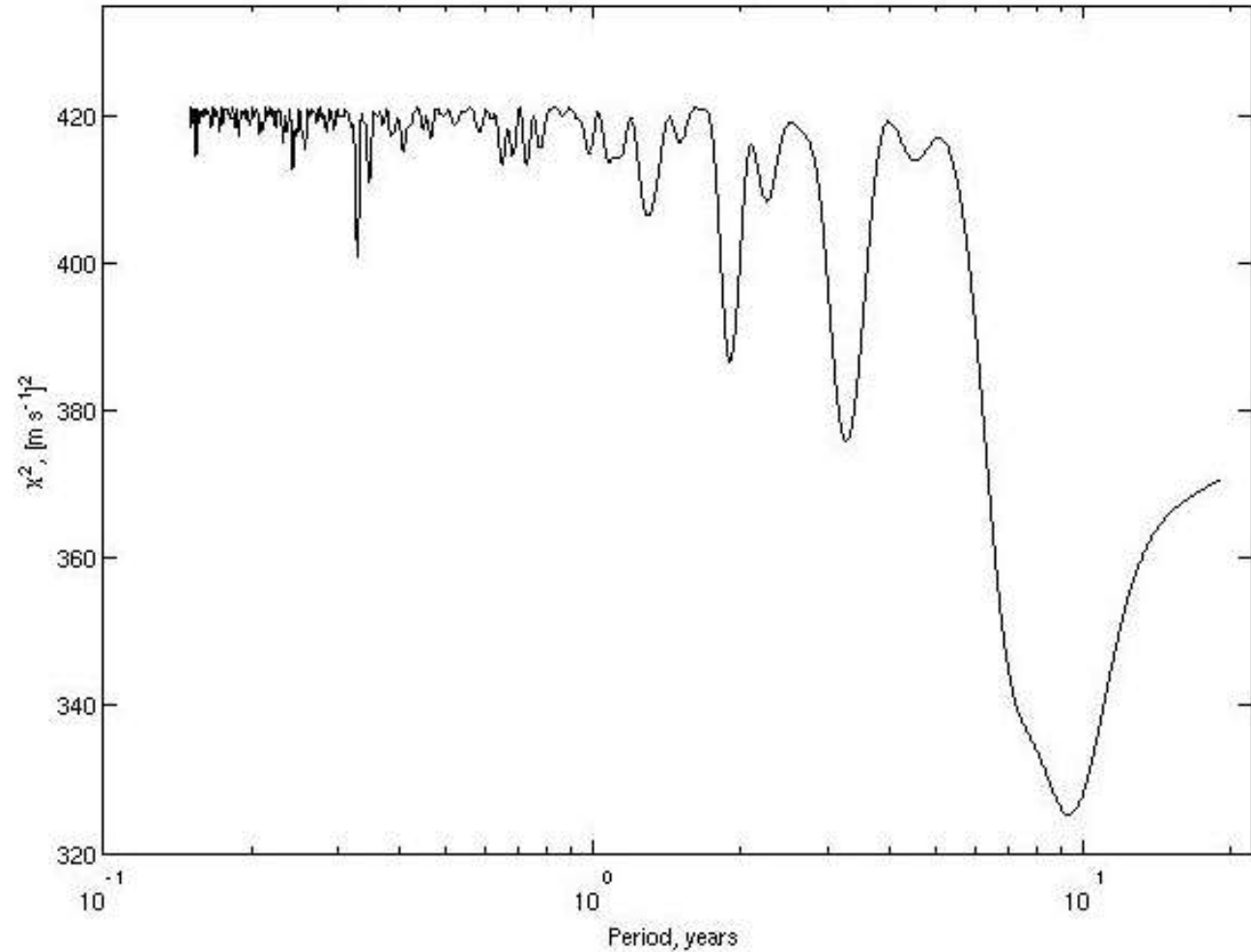
Typical horizontal velocities
In supergranules
300 – 400 m/s

Modulation of RV on time
scales of a several hours



χ^2 periodogram of solar RV

A generic planet detection algorithm detects two bogus planets at >99% confidence with $P_1=9.35$ yr, $M_1=26 M_E$ and $P_1=6.35$ yr, $M_2=15 M_E$



Planets and RV jitter of 55 Cnc

K0/G8 V star

$T_{\text{eff}} = 5234 \text{ K}$

$\text{Fe}/\text{H} = +0.31$

$\text{Log } R'_{\text{HK}} = -4.84$

Age > 2 Gyr

$v \sin i = 2.4 \pm 0.5 \text{ km/s}$

$M = 0.94 M_{\text{sun}}$

$P_{\text{rot}} = 43 \text{ d}$

Close solar analog
except for higher
metallicity

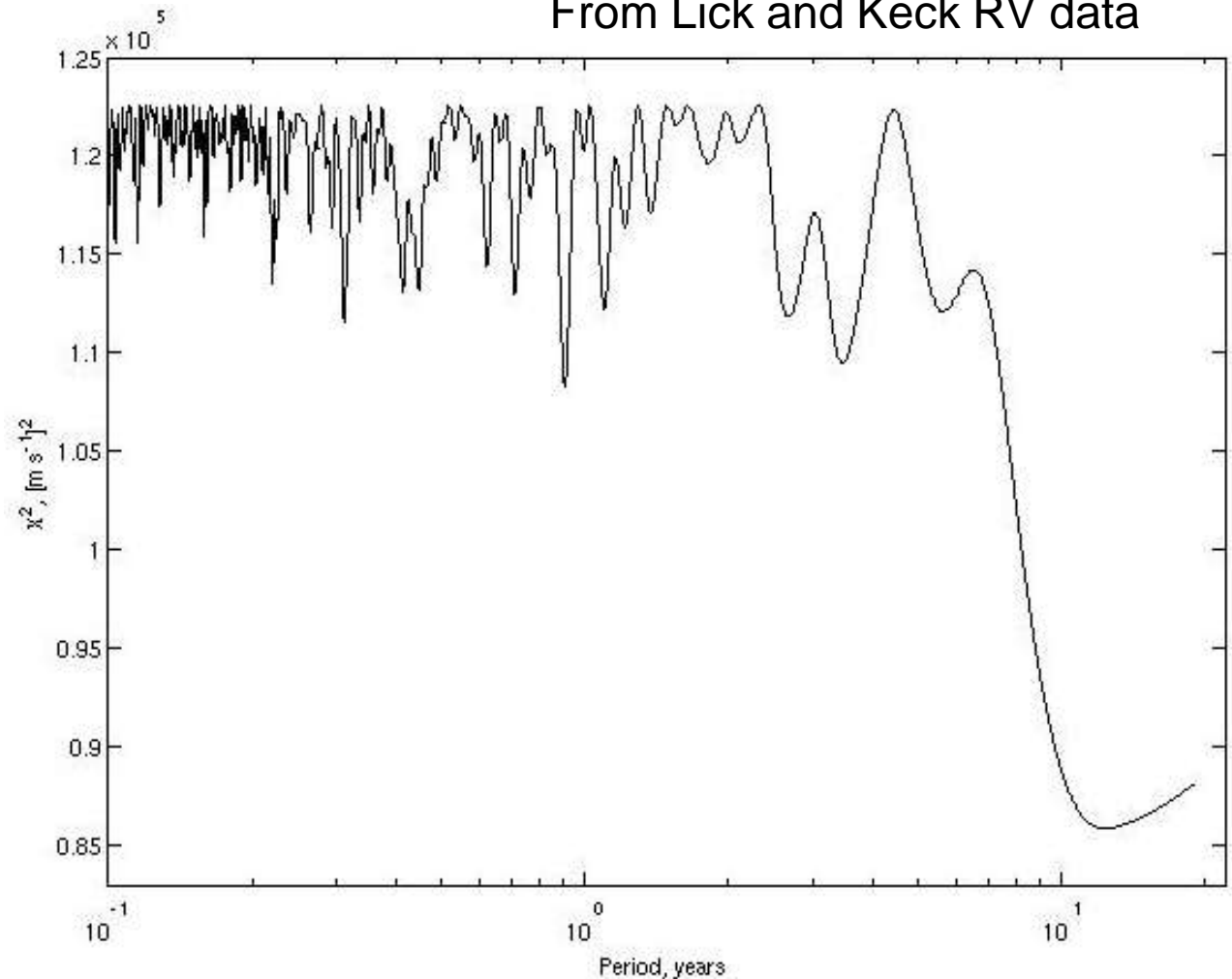
Fischer et al 2008:

5 planets with
periods between 2.8 d
and 5220 d

After subtracting all
detectable planets,
 $\text{STD}(\text{residual RV}) = 7.5 \text{ m/s}$

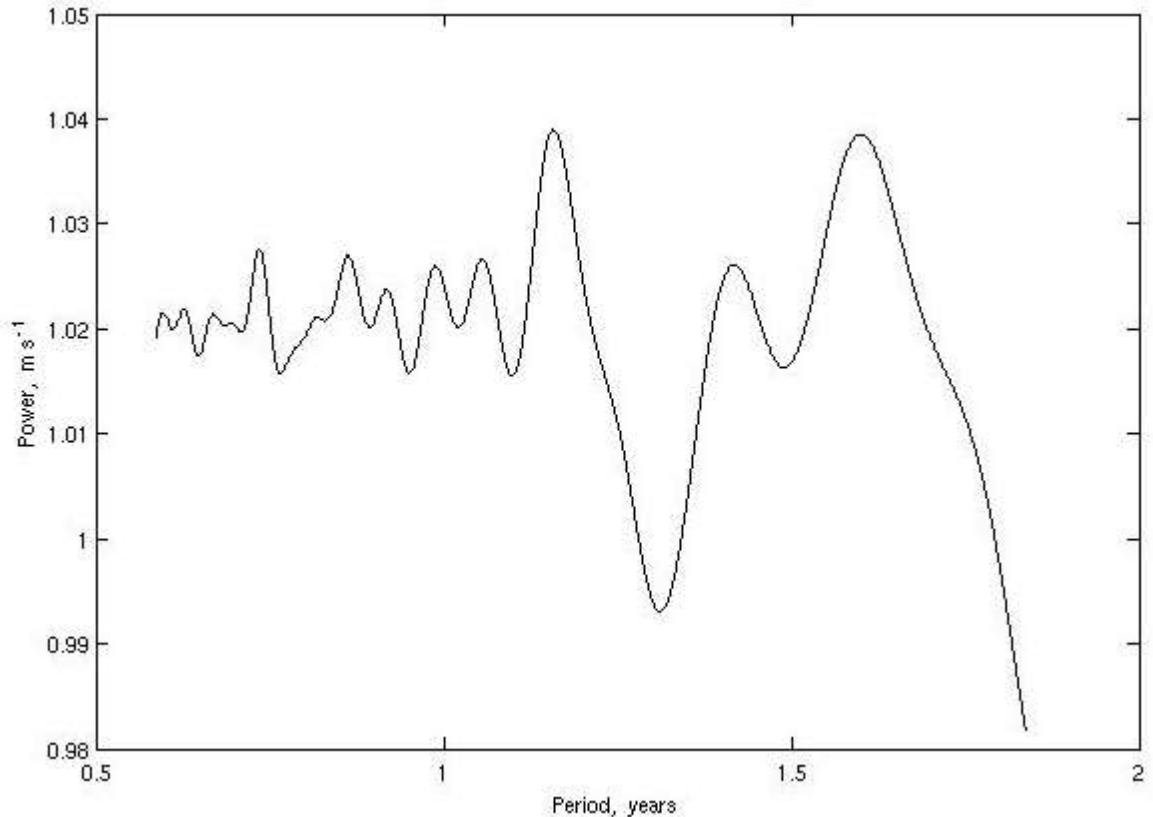
►► intrinsic scatter 5 m/s

From Lick and Keck RV data



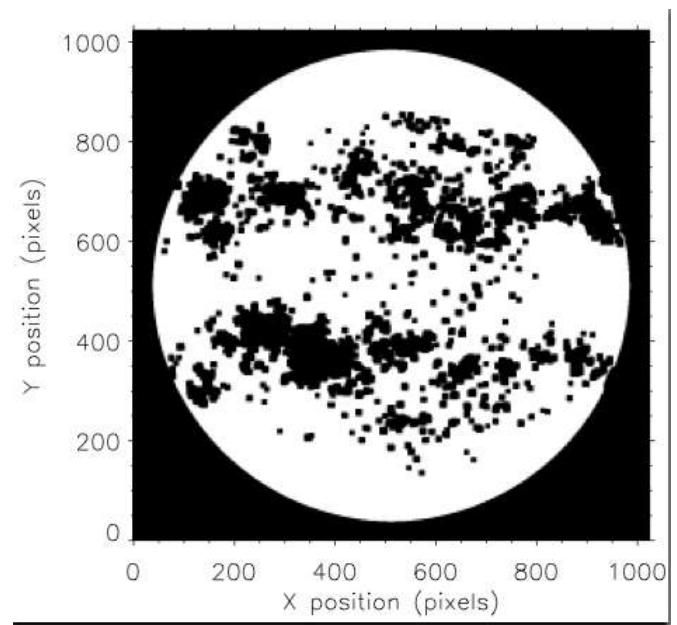
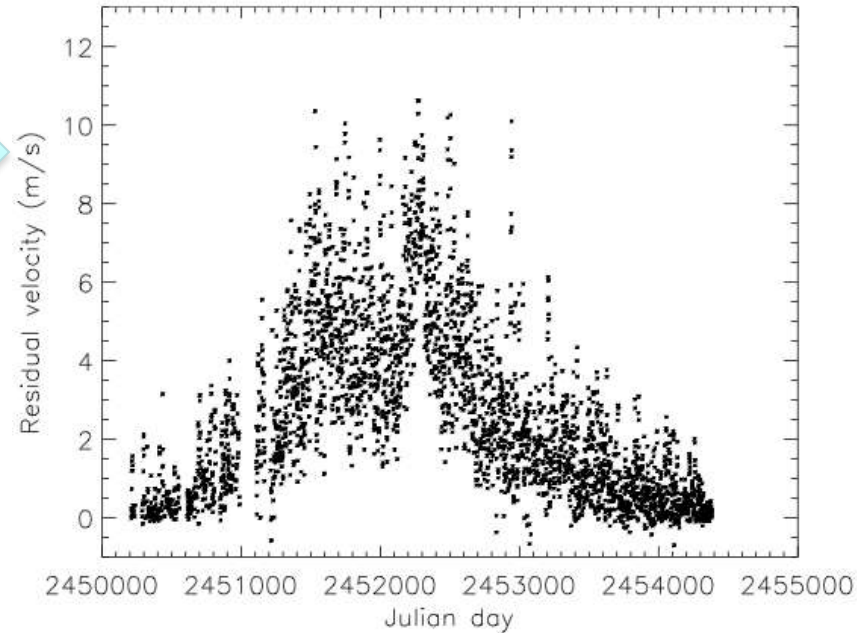
Spectral density of solar RV in the range of habitable zone

- The impact on detection of habitable planets around the Sun is defined by the amplitude spectrum of RV perturbations in the corresponding range of periods, which is about 1 m/s
- The signature of Earth is 0.089 m/s



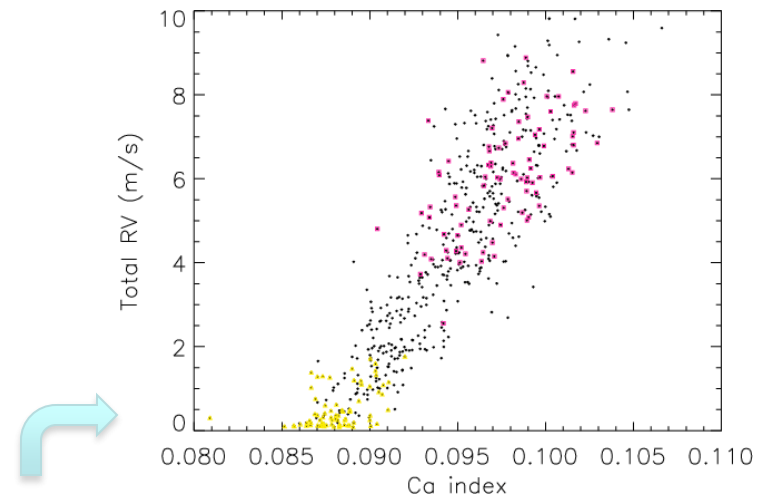
The interpretation conundrum

- Meunier et al. 2010 obtained a similar reconstructed RV curve for the Sun from MDI/SOHO Dopplergrams, but with a different physical model implying that convective blueshift attenuation in small-scale magnetic features is the only variable part of the velocity field.
- The question is what is actually varying on the Sun,
 - Large-scale tangential flows
 - Small-scale radial convection
 - Or both?
- Surface flows should have been removed by masking out the areas of elevated magnetic strength and extrapolating the background



The importance of correct interpretation

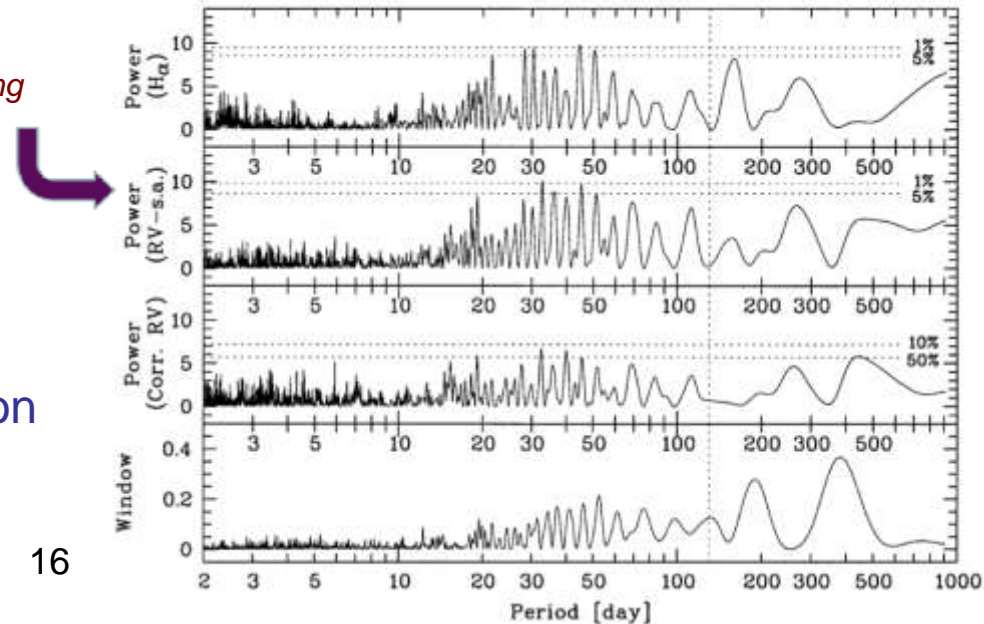
- Convective Doppler shift is correlated with activity indicators ($H\alpha$, Ca) and line profiles (bisector, FWHM) leading to useful diagnostics of RV variations origin



Reconstructed RV of the Sun is strongly correlated with the Ca index at times of elevated activity, from Meunier et al. 2010

Empirical correlation of RV and $H\alpha$ index is used to remove variations related to magnetic activity, leaving no statistically significant signals in the corrected periodogram

- Meridional flows are likely deep-rooted as parts of global circulation – no acid test for exoplanets



Conclusions

Variable surface flows on the Sun may be a formidable problem for exoplanet detection of terrestrial planets in habitable zones with the Doppler technique,

But we still need to find out what exactly is going on on the Sun...